

1

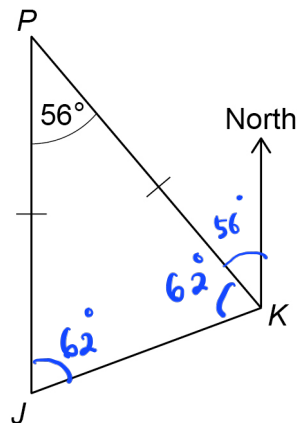
J and K are ships.

P is a port.

J is due South of P .

Angle $JPK = 56^\circ$

$JP = KP$



Not drawn
accurately

Work out the bearing of J from K .

[3 marks]

$$180^\circ - 56^\circ = 124^\circ$$

$$124 \div 2 = 62^\circ \quad (1)$$

$$360^\circ - 62^\circ - 56^\circ = 242^\circ \quad (1)$$

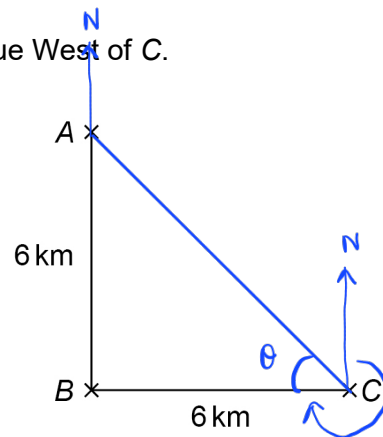
Answer 242 °

2 (a) B is

6 km due South of A

and

6 km due West of C.



Not drawn
accurately

Work out the bearing of A from C.

[2 marks]

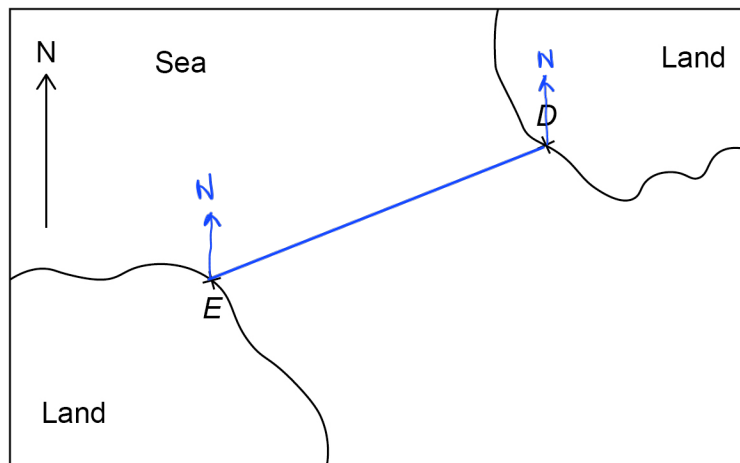
$$\tan \theta = \frac{6}{6} = 1$$

$$\theta = \tan^{-1} 1 = 45^\circ \quad (1)$$

$$\text{Bearing} = 180^\circ + 90^\circ + 45^\circ = 315^\circ \quad (1)$$

Answer 315 °

2 (b) Here is a scale drawing.



A ship is going to sail from D to E .

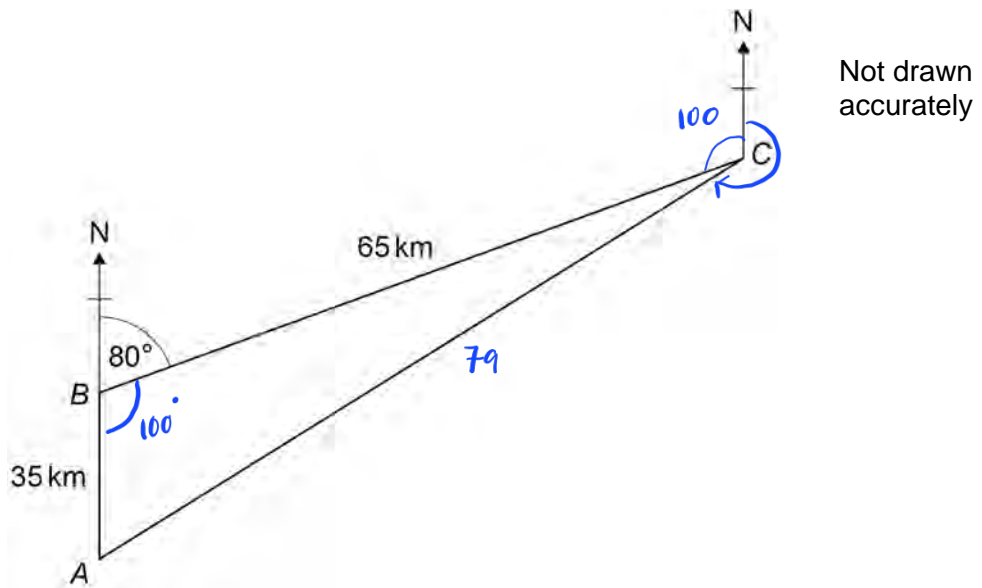
Mia works out that the ship needs to sail on a bearing of 068°

Why must Mia be wrong?

[1 mark]

068° is bearing of D from E . ①

3



A boat sails 35 km North from A to B .

From B the boat sails to C and then back to A .

- 3 (a) Show that the distance the boat sails from C to A is 79 km to the nearest km
You **must** show your working.

[2 marks]

$$AC^2 = 65^2 + 35^2 - 2(65)(35) \cos 100^\circ \quad (1)$$

$$= 4225 + 1225 - 4550 \cos 100^\circ$$

$$= 5450 + 790$$

$$= 6240$$

$$AC = \sqrt{6240}$$

$$= 78.9 \dots (1)$$

$$\approx 79 \text{ (nearest km)}$$

3 (b) Work out the bearing of A from C.

[4 marks]

$$\frac{\sin ACB}{35} = \frac{\sin 100}{79} \quad (1)$$

$$\sin ACB = \frac{35 \sin 100}{79}$$

$$\sin ACB = 0.436 \dots \quad (1)$$

$$ACB = \sin^{-1} 0.436 \dots$$

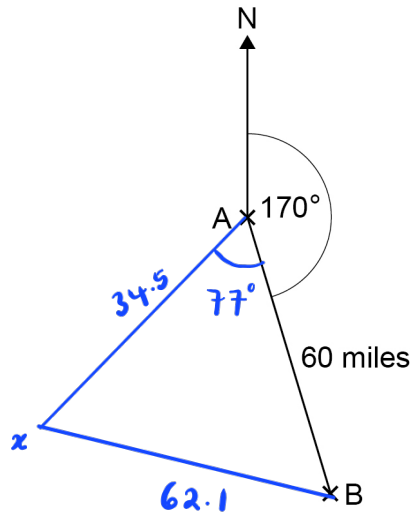
$$= 25.8 \dots \quad (1)$$

$$\text{Bearing of A from C} : 360^\circ - 100^\circ - 25.8^\circ$$

$$= 234.2^\circ \quad (1)$$

Answer 234.2 °

4

B is 60 miles from A on a bearing of 170° Not drawn
accuratelyA ship sails from A on a bearing of 247° It travels at a constant speed of 23 mph for $1\frac{1}{2}$ hours.

Is the ship now closer to B than it was when it left A?

You **must** show your working.

[5 marks]

$$247^\circ - 170^\circ = 77^\circ \quad (1)$$

$$\text{distance} = 23 \times 1.5 = 34.5 \quad (1)$$

$$x_B^2 = 34.5^2 + 60^2 - 2(34.5)(60) \cos 77^\circ \quad (1)$$

$$= 3858$$

$$x_B = \sqrt{3858} \quad (1)$$

$$= 62.1$$

(1)

No. The ship is further away.